

Présentation du simulateur de pluies horaires de bassin

SCHYPRE : Simulation Continue d'HYdrogrammes pour la PREdétermination



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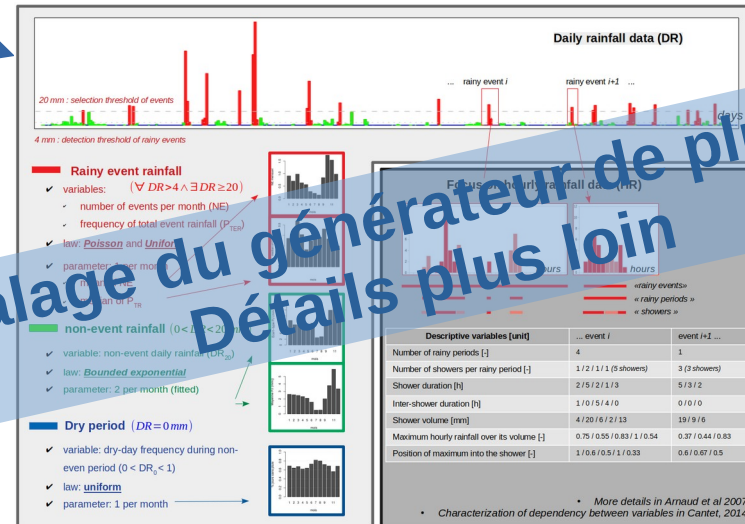
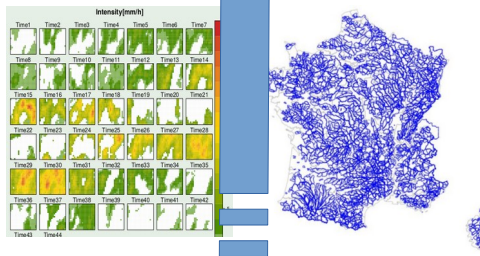
- **Objectif** : simuler de très longues chroniques de débits statistiquement équivalentes aux observations, utilisables pour faire de l'hydraulique (dimensionnement d'ouvrages, PPRI, ...).

- 1 Calages
- 2 Simulations des variables climatiques
- 3 Simulation des débits par le modèle hydrologique

OBSERVATIONS

- **Pluie de bassin (mm/h)**
- Pourcentage de surface mouillée
- Coefficient de variation de la pluie
- ETP de bassin
- Température de bassin

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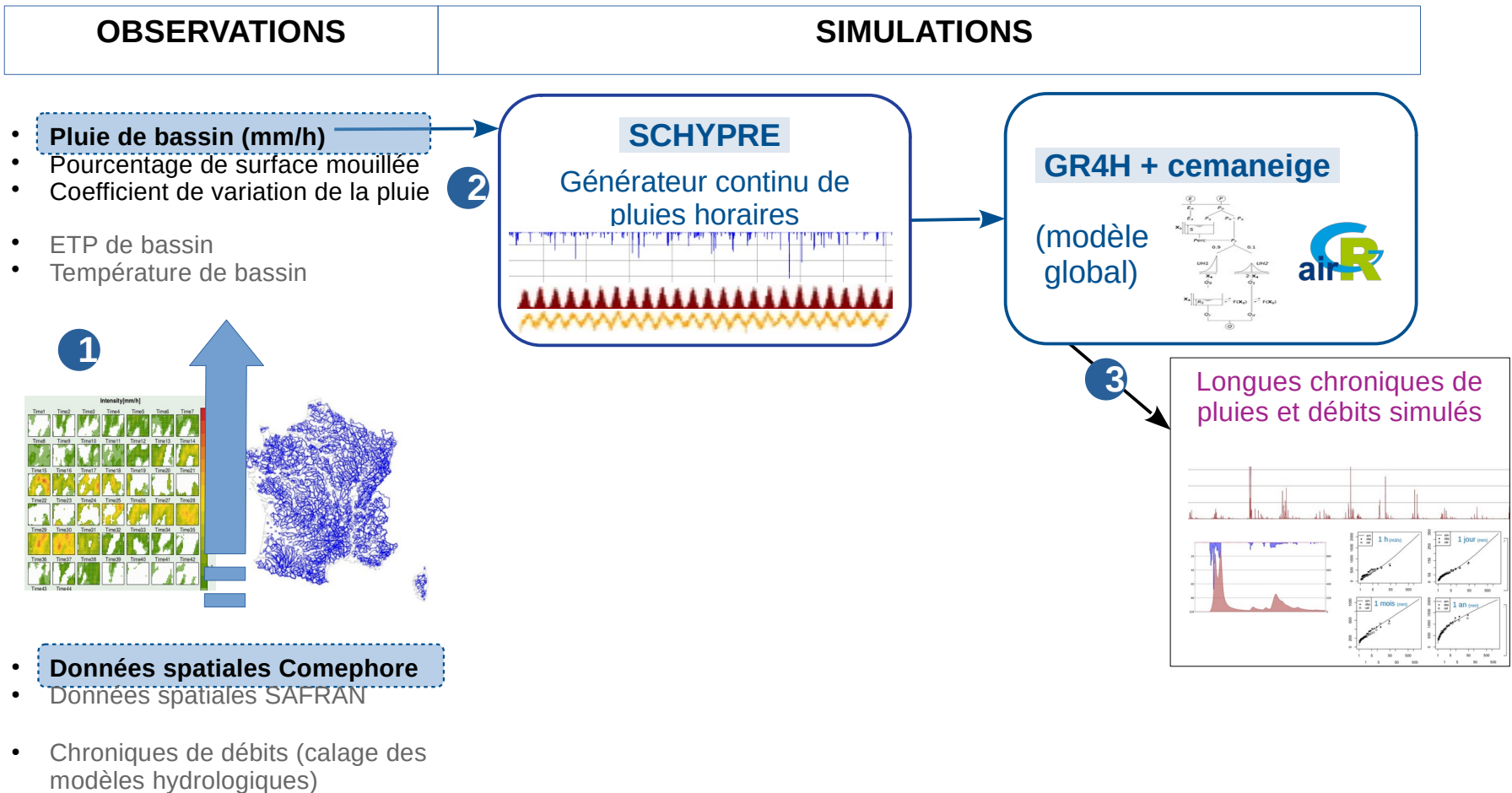
Calage du générateur de pluies :
Détails plus loin

- **Données spatiales Comephore**
- Données spatiales SAFRAN
- Chroniques de débits (calage des modèles hydrologiques)

SCHYPRE : Simulation Continue d'HYdrogrammes pour la PREdération

➤ **Objectif** : simuler de très longues chroniques de débits statistiquement équivalentes aux observations, utilisables pour faire de l'hydraulique (dimensionnement d'ouvrages, PPRI, ...).

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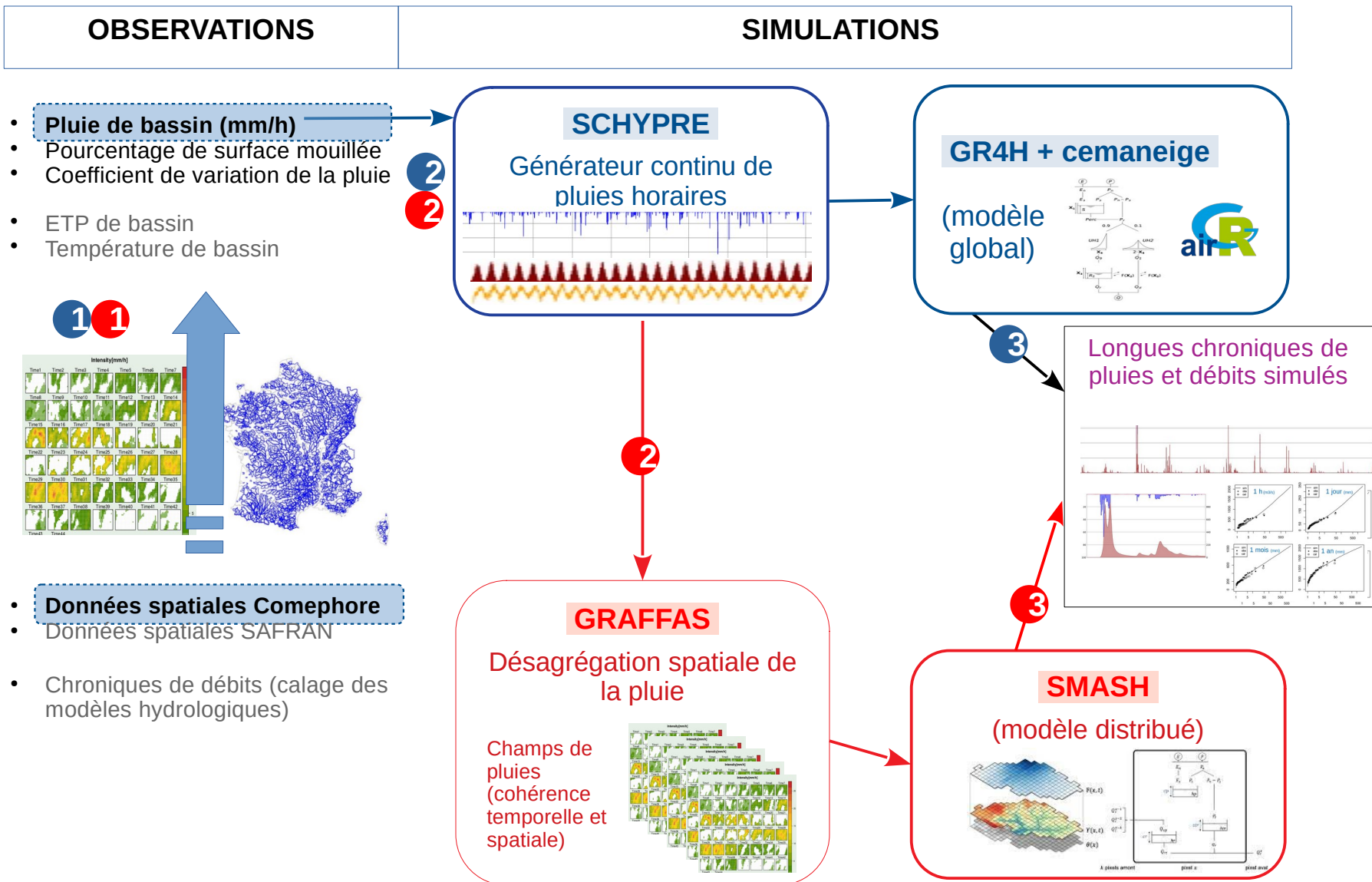


Approche globale
(spatialement uniforme)

SCHYPRE : Simulation Continue d'HYdrogrammes pour la PREdetermination

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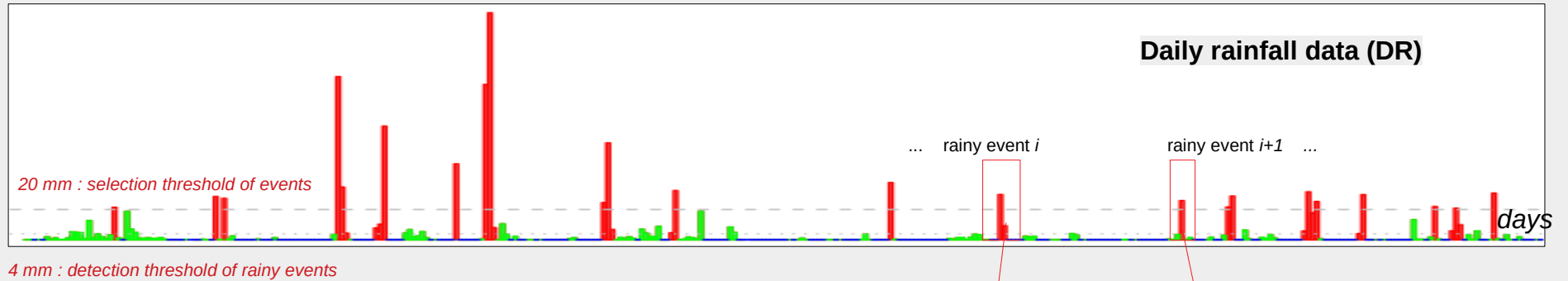
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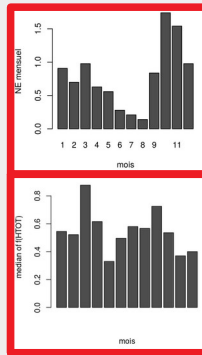
Approche spatiale

SCHYPRE : Analyse descriptive des séries observées



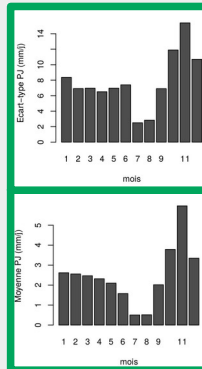
Rainy event rainfall

- ✓ variables: ($\forall DR > 4 \wedge \exists DR \geq 20$)
- ✓ number of events per month (NE)
- ✓ frequency of total event rainfall (P_{TER})
- ✓ law: **Poisson** and **Uniform**
- ✓ parameter: 1 per month
 - ✓ mean of NE
 - ✓ median of P_{TR}



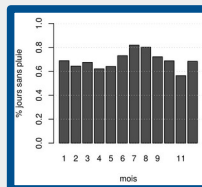
non-event rainfall ($0 < DR < 20$ mm)

- ✓ variable: non-event daily rainfall (DR_{20})
- ✓ law: **Bounded exponential**
- ✓ parameter: 2 per month (fitted)

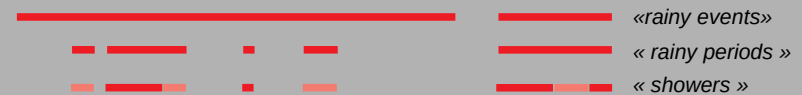
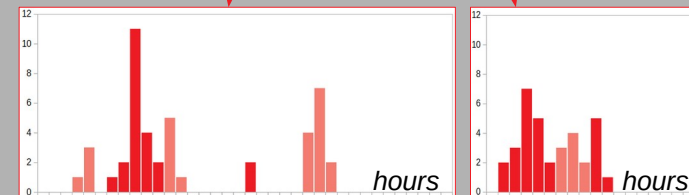


Dry period ($DR = 0$ mm)

- ✓ variable: dry-day frequency during non-event period ($0 < DR_0 < 1$)
- ✓ law: **uniform**
- ✓ parameter: 1 per month



Focus on hourly rainfall data (HR)



Descriptive variables [unit]	... event i	event $i+1$...
Number of rainy periods [-]	4	1
Number of showers per rainy period [-]	1 / 2 / 1 / 1 (5 showers)	3 (3 showers)
Shower duration [h]	2 / 5 / 2 / 1 / 3	5 / 3 / 2
Inter-shower duration [h]	1 / 0 / 5 / 4 / 0	0 / 0 / 0
Shower volume [mm]	4 / 20 / 6 / 2 / 13	19 / 9 / 6
Maximum hourly rainfall over its volume [-]	0.75 / 0.55 / 0.83 / 1 / 0.54	0.37 / 0.44 / 0.83
Position of maximum into the shower [-]	1 / 0.6 / 0.5 / 1 / 0.33	0.6 / 0.67 / 0.5

- More details in Arnaud et al 2007
- Characterization of dependency between variables in Cantet, 2014

SCHYPRE : Loi de probabilité pour chaque variable descriptive

Variable	Description of the variable	Unit	Probability law	Parameter estimation ^[1]	Estimated for ...
Variables required to simulate rainy events					
NE	Number of rainy event per month	-	Poisson	$\theta = \mu$	12 months
NP	Number of rainy period per rainy event	-	Geometric	$\theta = 1/\mu$	2 seasons
NS	Number of shower per rainy period	-	Geometric	$\theta = 1/\mu$	2 seasons
NpS	Number of "principal" shower ^[2]	-	Binomial	$\theta = f(\mu)$ ^[3]	2 seasons
IPD	Inter rainy period duration	hours	Truncated geometric	$\theta_1 = 1/\mu$ $\theta_2 = \text{Prob}(\text{IPD} > 12\text{h})$	2 seasons
SD _p et SD _o	Shower duration, for the two types of shower ^[2]	hours	(p) Truncated Poisson (o) Truncated Poisson	$\theta_1 = \mu$ $\theta_2 = \text{Prob}(\text{SD}_p > 9\text{h})$ $\theta_1 = \mu$ $\theta_2 = \text{Prob}(\text{SD}_p > 6\text{h})$	2 seasons and 2 types
SV _p et SV _o	Shower volume, for the two types of shower ^[2]	mm	(p) Truncated Log-normal (o) Truncated Gamma	$\theta_{1,2,3} = f(\mu, \sigma, \min)$ $\theta_{1,2,3} = f(\mu, \sigma, \min)$	2 seasons and 2 types
RX _p et RX _o	Ratio of shower maximum hourly rainfall over its volume, for the two kind of shower ^[2]	-	Normal	$\theta_1 = f_1(\text{SD})$ ^[4] $\theta_2 = f_2(\text{SD})$ ^[4]	2 seasons and 2 types
PX	For a shower, relative position of the maximum hourly rainfall in the shower	-	Normal	$\theta_1 = \mu$ $\theta_2 = \sigma$	2 seasons
P _{TER}	Probability of the total event rainfall	-	Uniform	$\theta = \text{median}$	12 months
τ_p and τ_o	Kendall's Tau for copula between duration and volume probabilities		(p) Franck copula (o) Gumbel copula	Kendall's Tau	2 seasons and 2 types
Variables required to simulate "non-event" rainfall periods					
DR _{<20}	Depth of non-event daily rainfall	mm	Exponential	θ_1, θ_2 optimised	12 months
HR0	Proportion of hourly rainfall equal to zero within a non-event daily rainfall	-	Uniform	$\theta = \mu$	12 months
Variables required to simulate dry periods					
DR0	Probability of days with no rain during a non-even period	-	Uniform	$\theta = \mu$	12 months

Particularités :

- 2 types d'averses
- 2 saisons
- 12 mois
- Calage de relations « nationale »
- Dépendance de certaines variables

^[1] μ = mean of the variable values, σ = standart deviation of the variable values and min = minimum of the variable values

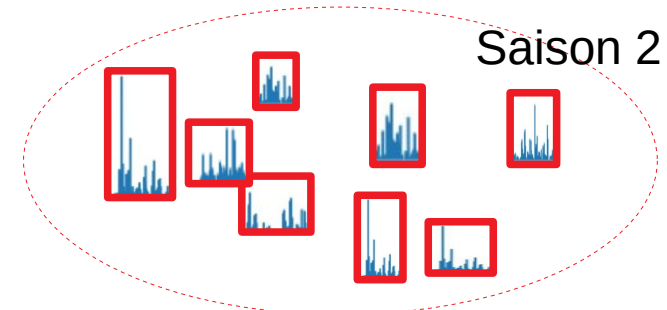
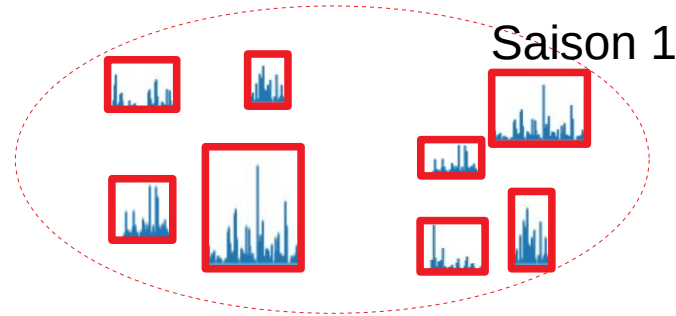
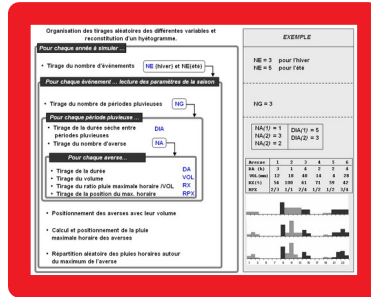
^[2] Only the variables SD, SV, and RX are considered for the two shower types.

^[3] The binomial distribution parameter describing the variable NpS is a regionally calibrated function of the variable's mean. Using our dataset, $\theta = 0,15 \cdot \ln(\mu_{NpS})$ for season 1 (1) and $\theta = 0,122 \cdot \ln(\mu_{NpS})$ for season 2.

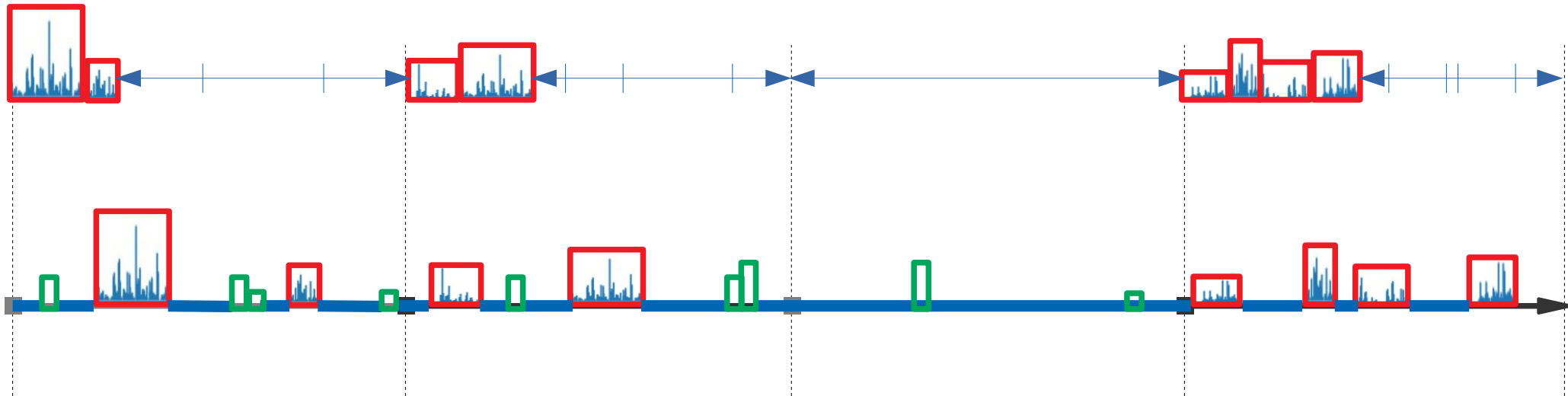
^[4] The mean and standard deviation of the normal distribution used to randomly sample the variable RX are estimated as functions of shower duration SD. For each randomly drawn duration, the variable RX is generated from a normal distribution $N(\theta_1, \theta_2)$, where $\theta_1 = a + b \ln(\text{SD})$ and $\theta_2 = c + d \cdot \ln(\text{SD})$. The parameters a, b, c et d are regionally optimized to match the observed mean and standard deviation of RX. These four parameters are determined separately for both seasons and both shower types.

SCHYPRE : simulation

1 - Simulation des événements pluvieux (idem événementiel)



2 - Attribution des événements pluvieux à un mois (NE) et calcul de la durée totale « inter-événements »

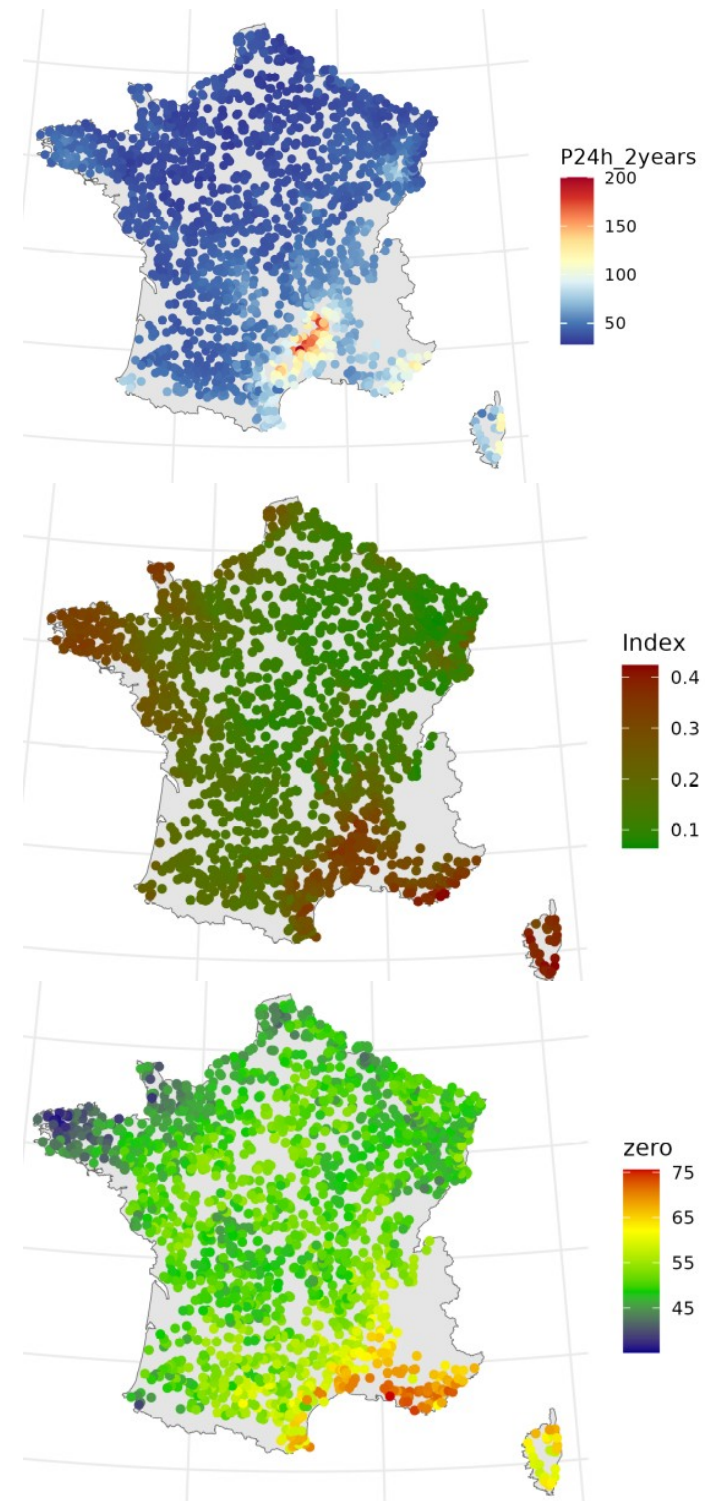
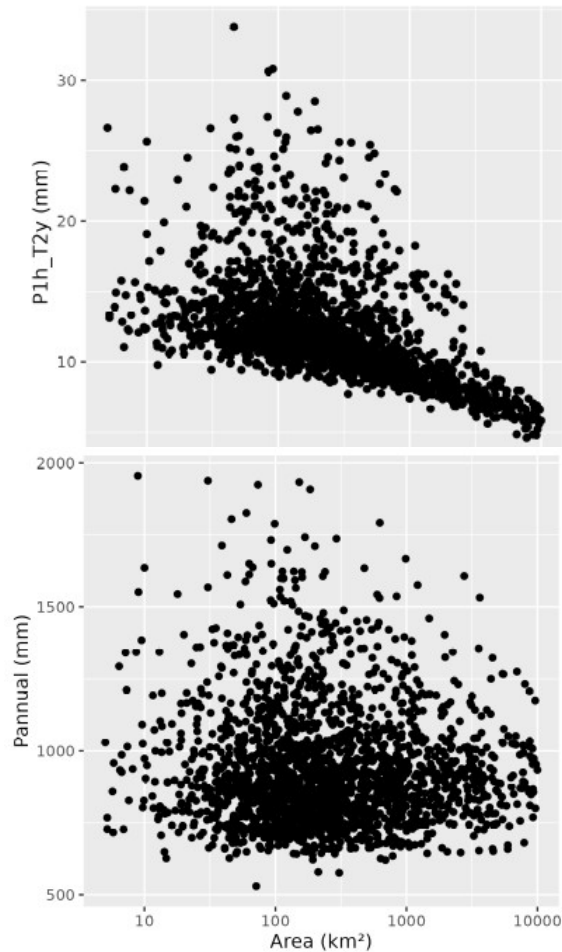


3 - Calcul de la durée sèche du mois : P0

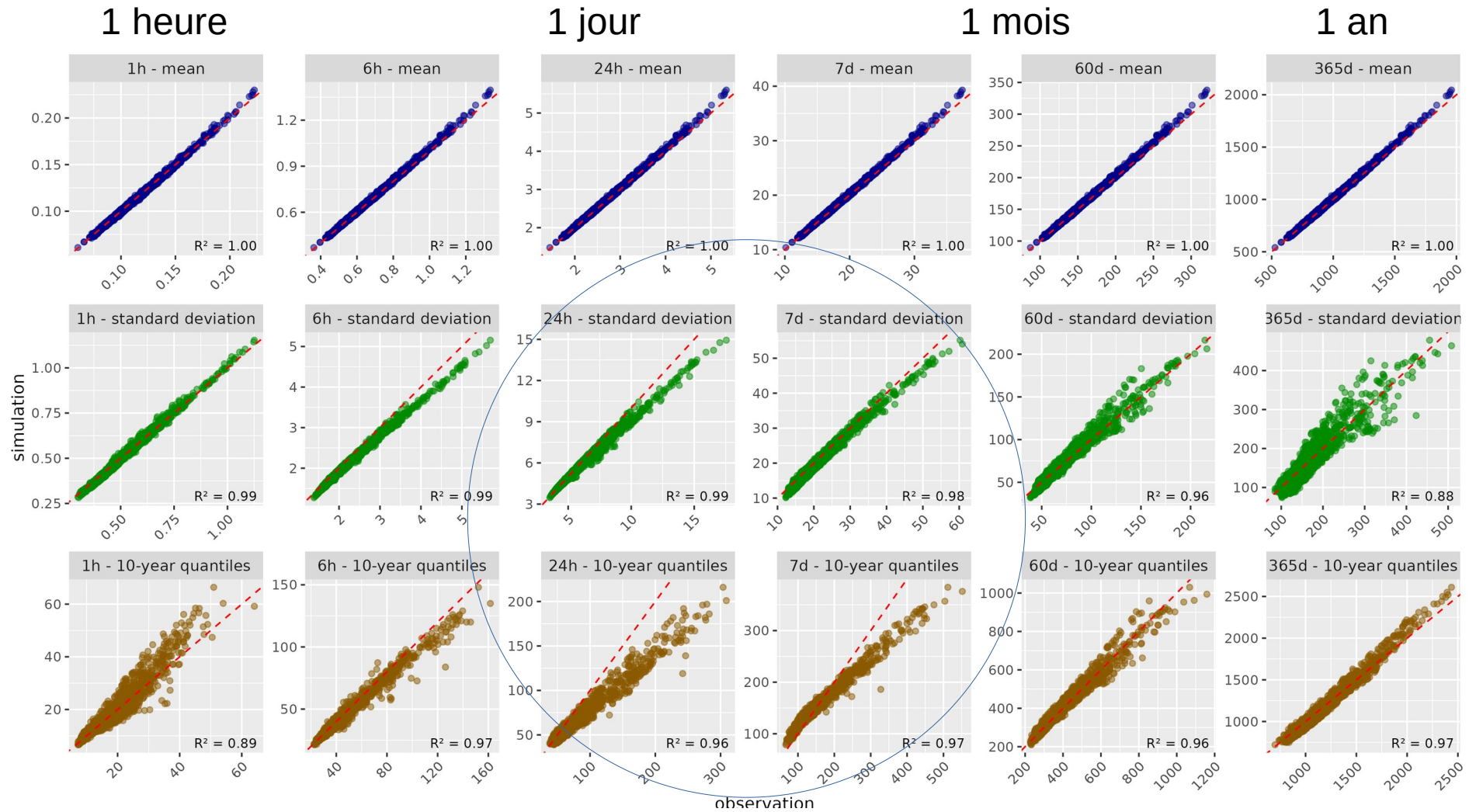
3 - Simulation des pluies « hors-événements » : DR₂₀

SCHYPRE : application

- Calage sur 2108 bassins [5, 10000] km².
- Chroniques de pluies horaires sur 28,5 années.
- Forte variabilité climatique : cumuls, saisonnalité, ...
- Dépendance à la surface d'agrégation.



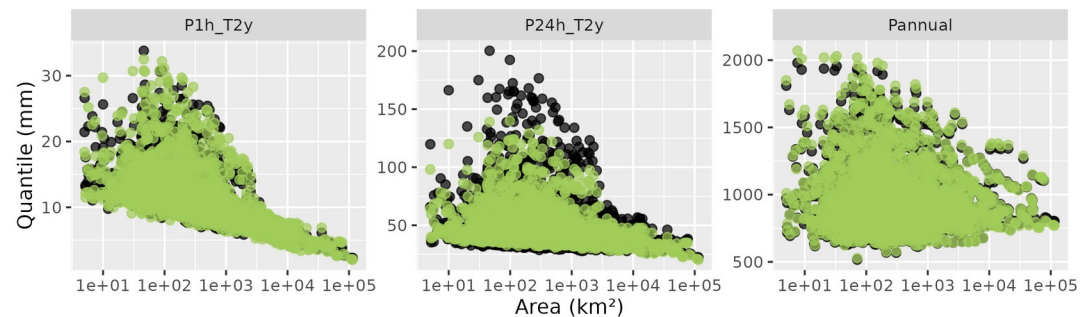
SCHYPRE : restitution des caractéristiques observées



● Observed ● Simulated

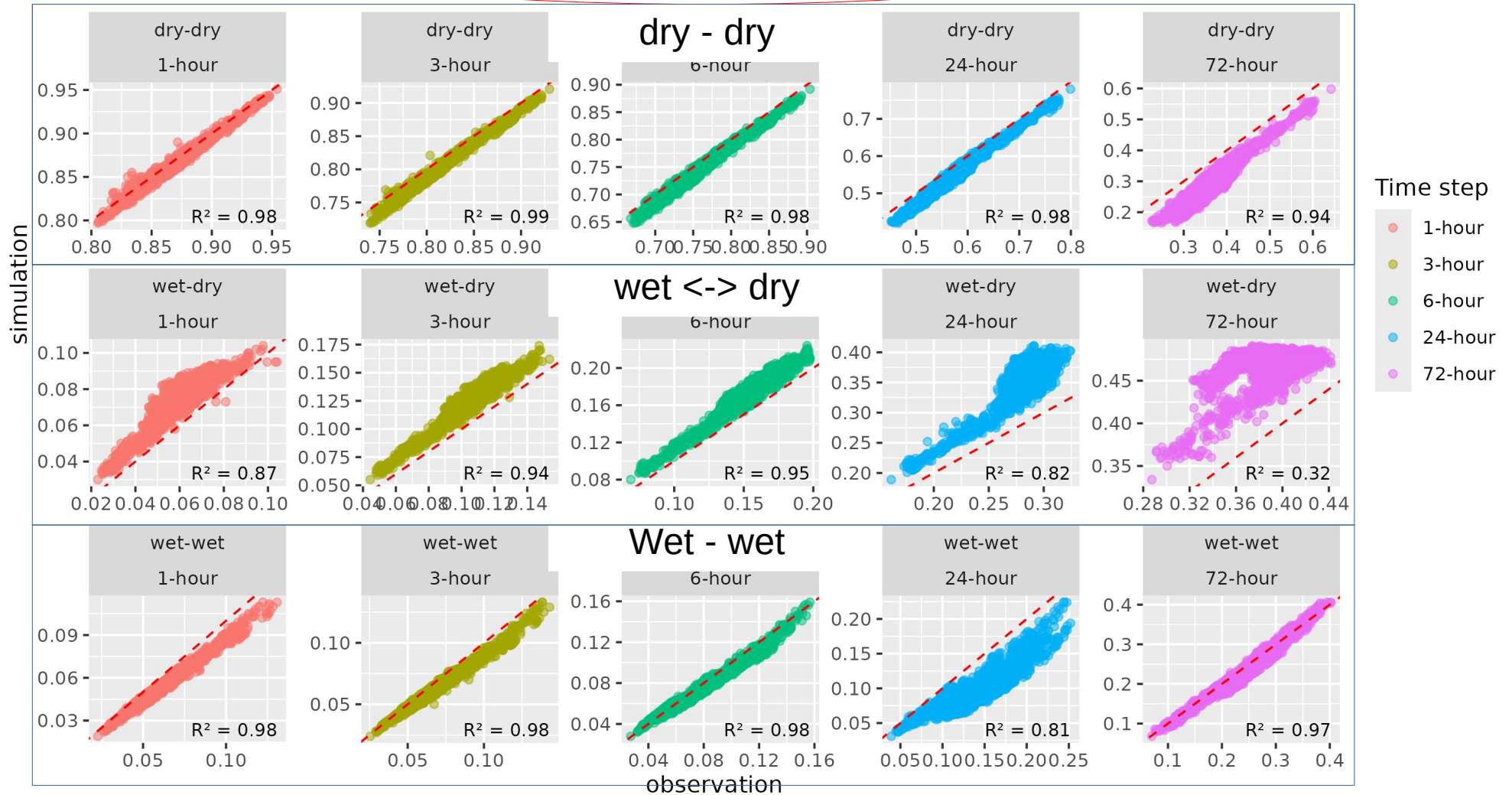
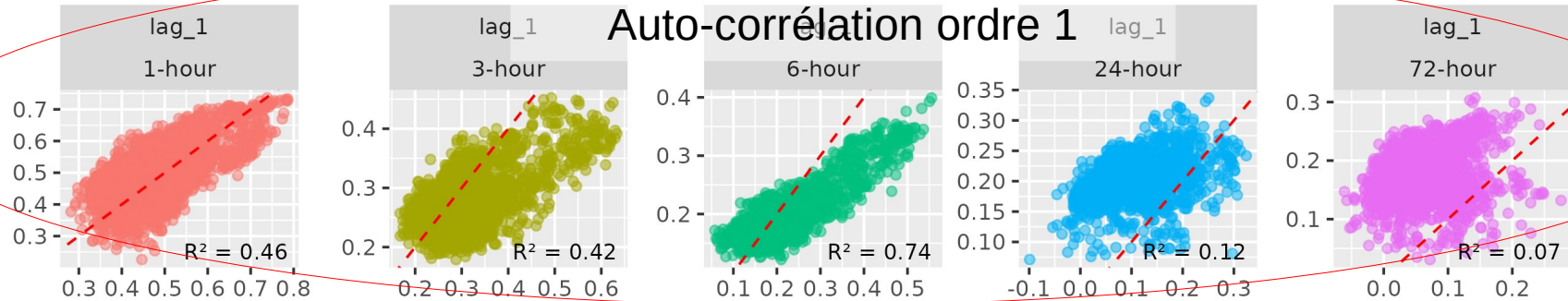
Variable

- mean
- standard deviation
- 10-year quantiles



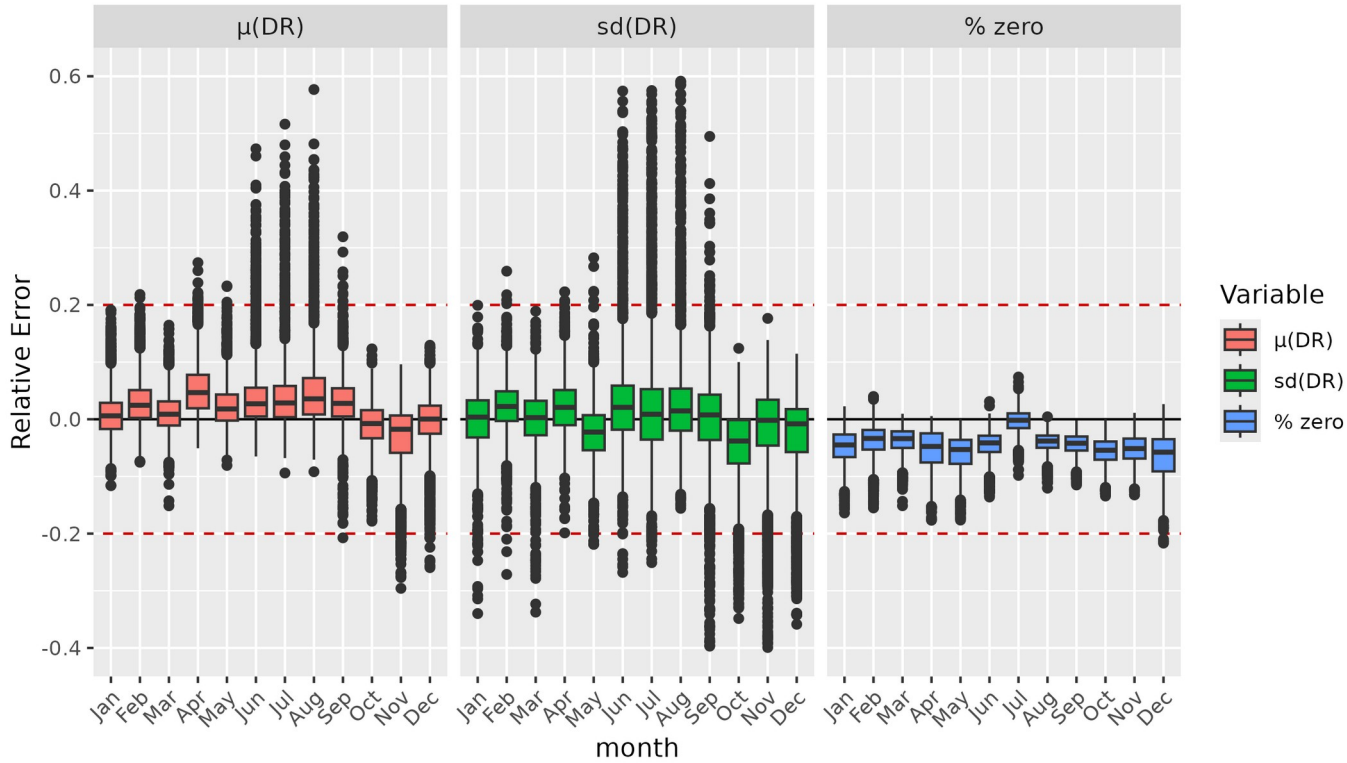
SCHYPRE : restitution des caractéristiques observées

Auto-corrélation ordre 1

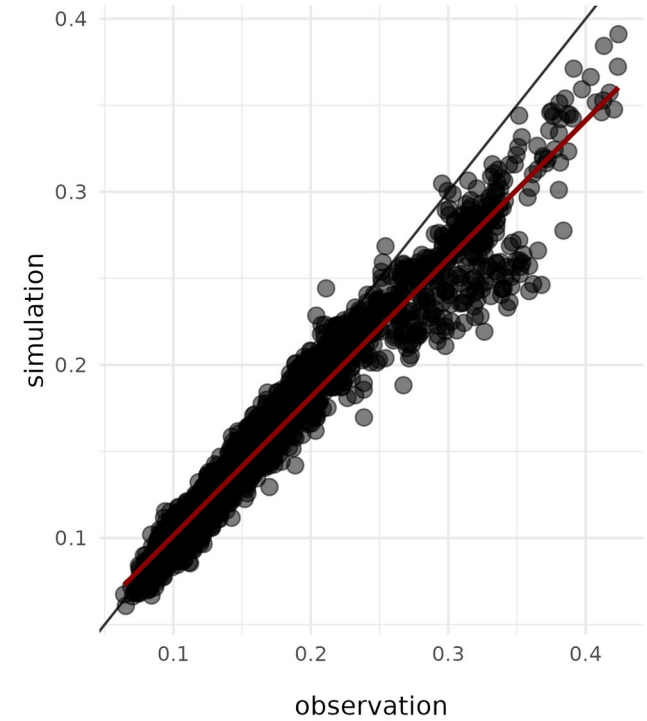


SCHYPRE : restitution des caractéristiques observées

a) Relative errors in estimating monthly variables



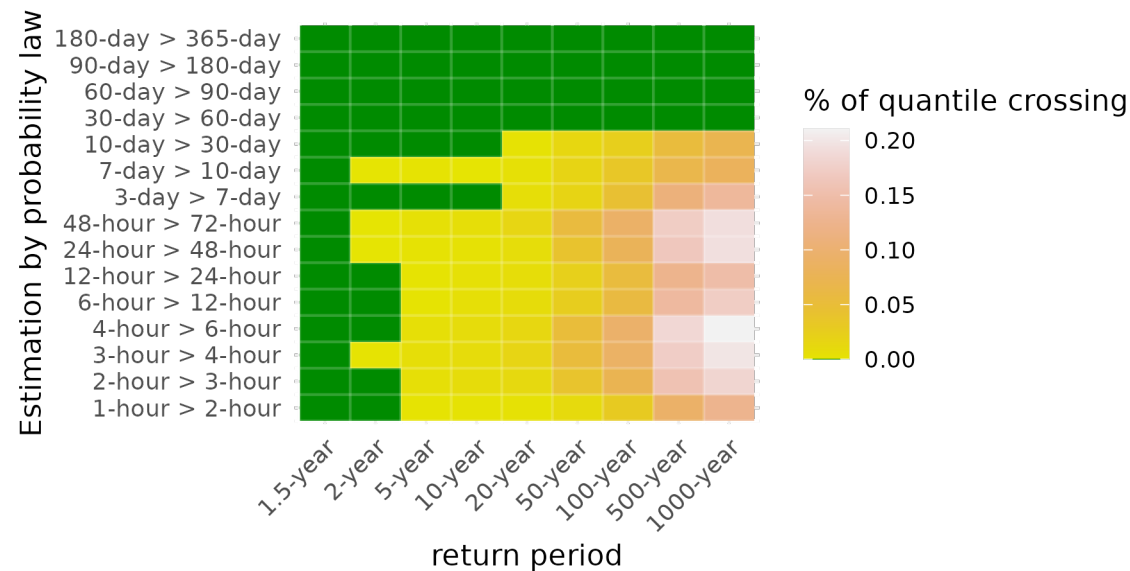
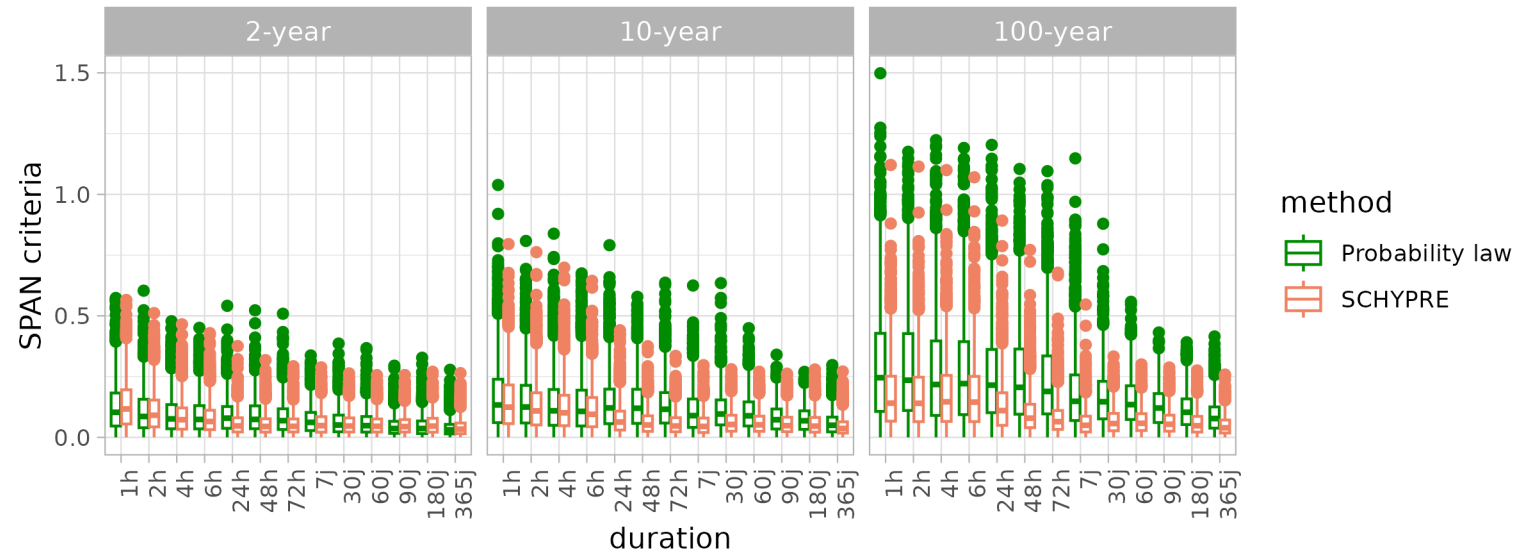
b) seasonality index (I)



SCHYPRE : stabilité et cohérence

- Application sur 2 périodes de 14 ans
- SCHYPRE vs Probability law (GEV pour $d \leq 7j$ et log-normale pour $d > 7j$)
- calcul du SPAN

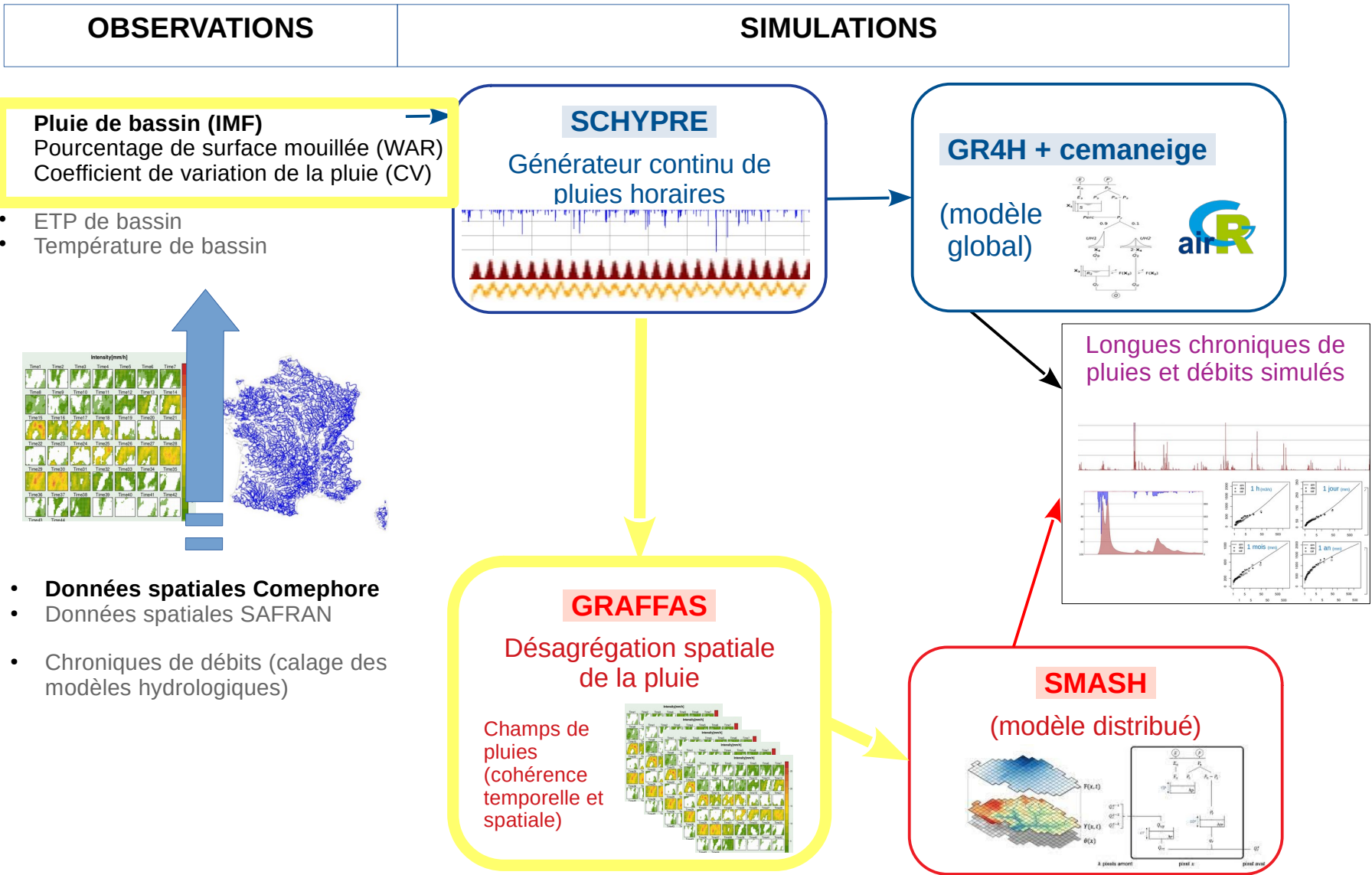
$$SPAN_T = 2 \cdot \frac{\left| q_T(P_1) - q_T(P_2) \right|}{\left(q_T(P_1) + q_T(P_2) \right)}$$



SCHYPRE : poursuite ...

Approche globale
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Approche spatiale



- Simulation conditionnelle des caractéristiques de pluies de bassin (IMF/CV/WAR)
- Amélioration de la désagrégation spatiale des pluies (advection ?)
- Couplage au modèle SMASH

The end